

Pressure dependence of structural properties of FeSe

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Outline

I. Introduction

- I. Iron-based superconductors
- II. FeSe

II. Synchrotron XRD

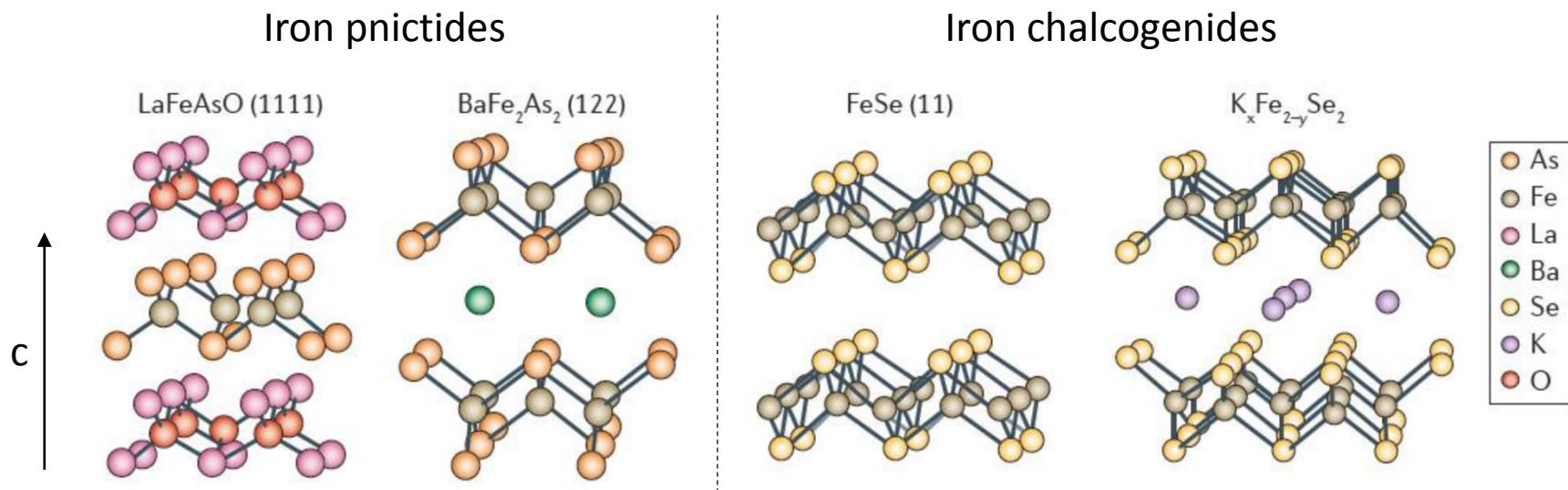
- I. Technique
- II. Samples
- III. Protocol
- IV. Analysis
 - I. Single-crystal analysis
 - II. Powder-like analysis

III. Conclusion

Introduction

Iron-based superconductors

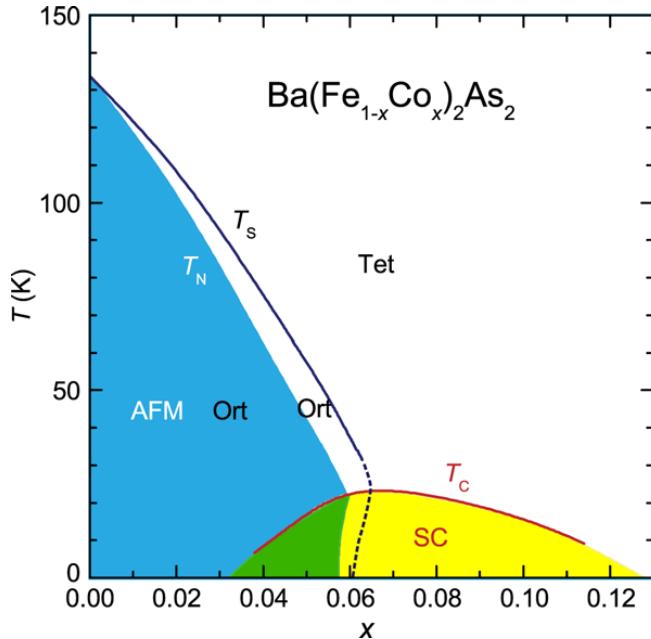
- Superconducting layers of **FeAs** (pnictides) or **FeSe** (chalcogenides) and possibly separated by charge reservoir atom layers (LaO, Ba, K, ...).



Q. Si & al; Nature Reviews - Materials, article number 16017 (2016)

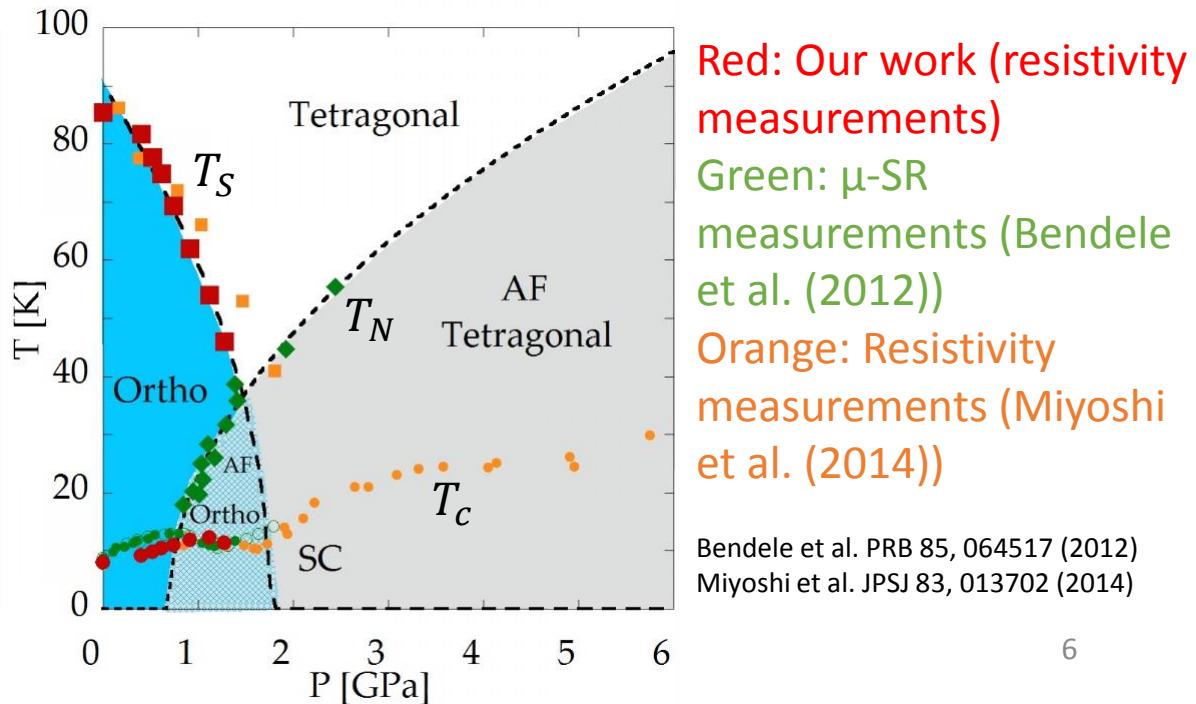
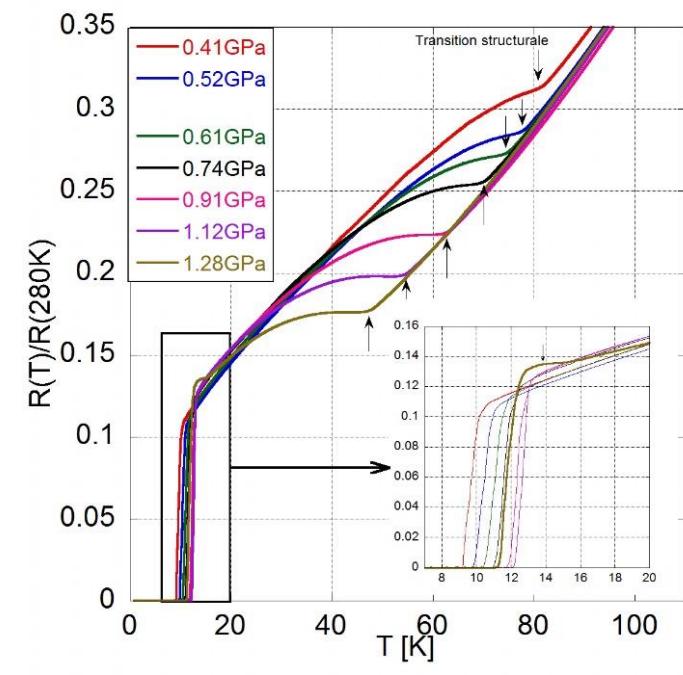
Iron-based superconductors

- In pnictides:
 - Lattice distortion T_S + a long range magnetic order T_N (magneto-elastic coupling)
 - Superconductivity enhanced along these transitions (magnetic fluctuations)



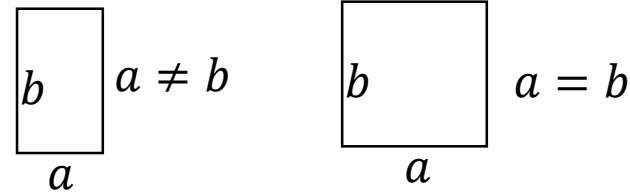
FeSe (before 2014)

- $T_c \sim 8 K$ at $P = 0$, $T_c \sim 38 K$ at $P \sim 6 GPa$
- Tetragonal at room temperature
- Structural transition T_S to orthorhombic cell with **no magnetism**
- AFM transition T_N



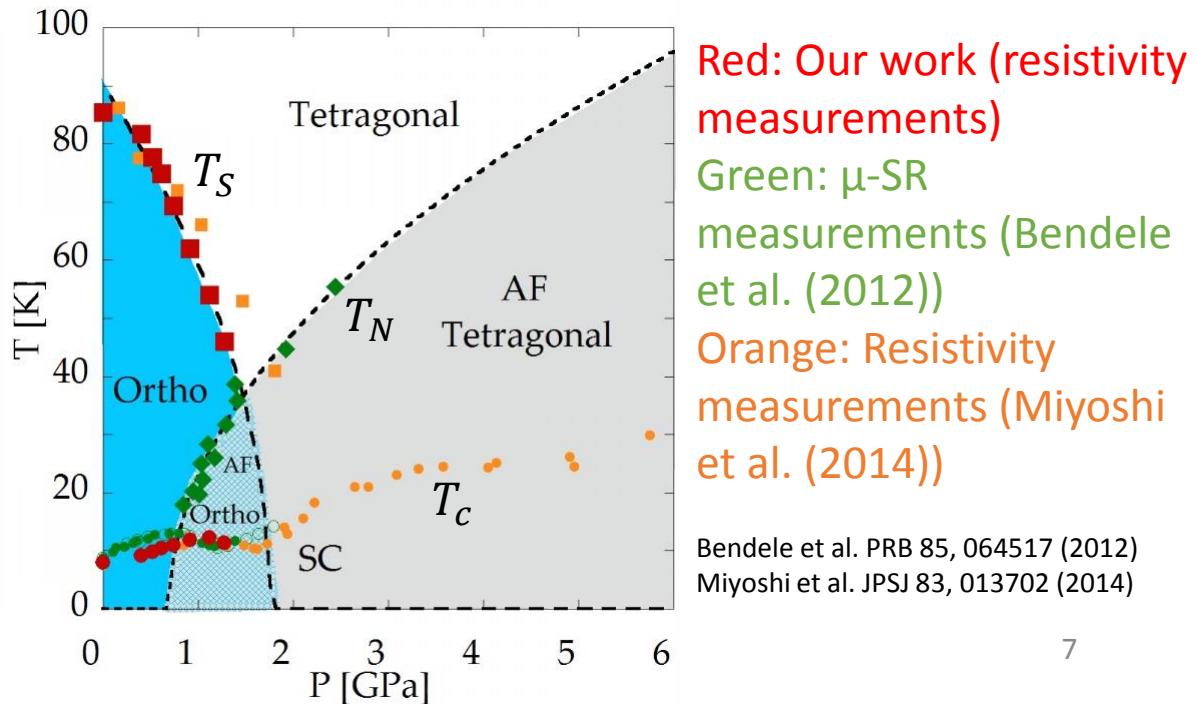
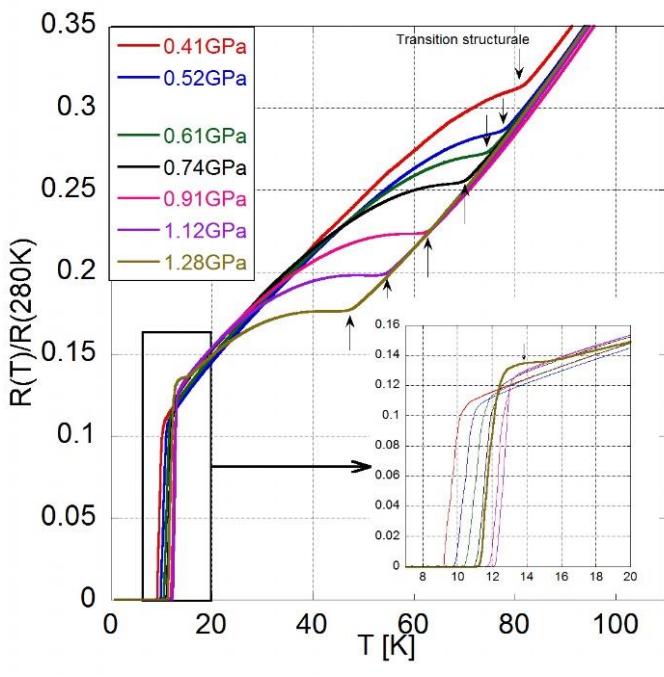
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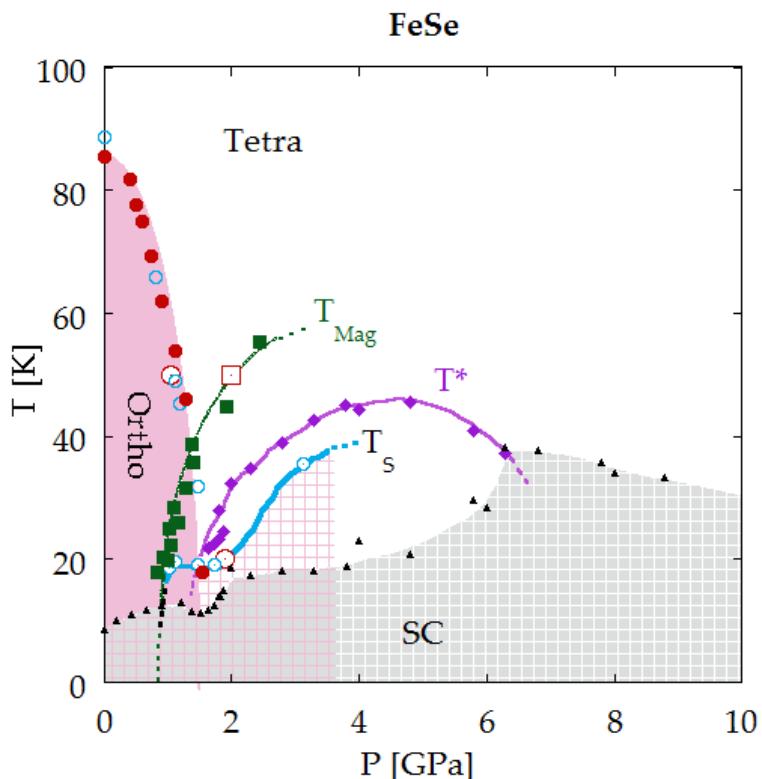
Orthorhombic cell
Cmma

Tetragonal cell
P4/nmm



FeSe (now)

- 3 possible structural transitions :
 - Orthorhombic-Tetragonal at 20K, 1.9 GPa
 - Orthorhombic-Tetragonal at 50K, 1 GPa
 - Tetragonal-Monoclinic at 50K, 2 GPa



- Resistivity measurements (OR-T)
- μ -SR measurements (Bendele et al. (2012))
- ◆ Resistivity measurements (Sun et al. (2015))
- Synchrotron XRD (Kothapalli et al. (2016))
- ▲ Superconducting transition (Sun et al. (2015))
- Structural transition (our ESRF measurements)
- Structural transition (our ESRF measurements) (tetragonal \leftrightarrow monoclinic)

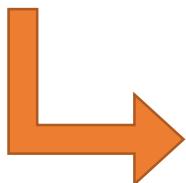
Bendele et al. PRB 85, 064517 (2012)

Sun et al., arXiv:1512.06951v1 (2015)

Kothapalli et al., arXiv:1603.04135v1 (2016)

Motivations and questions

- Get a better understanding of the mechanism of superconductivity
 - Magnetic fluctuations
 - T_c variations
- Is there a magneto-elastic coupling?



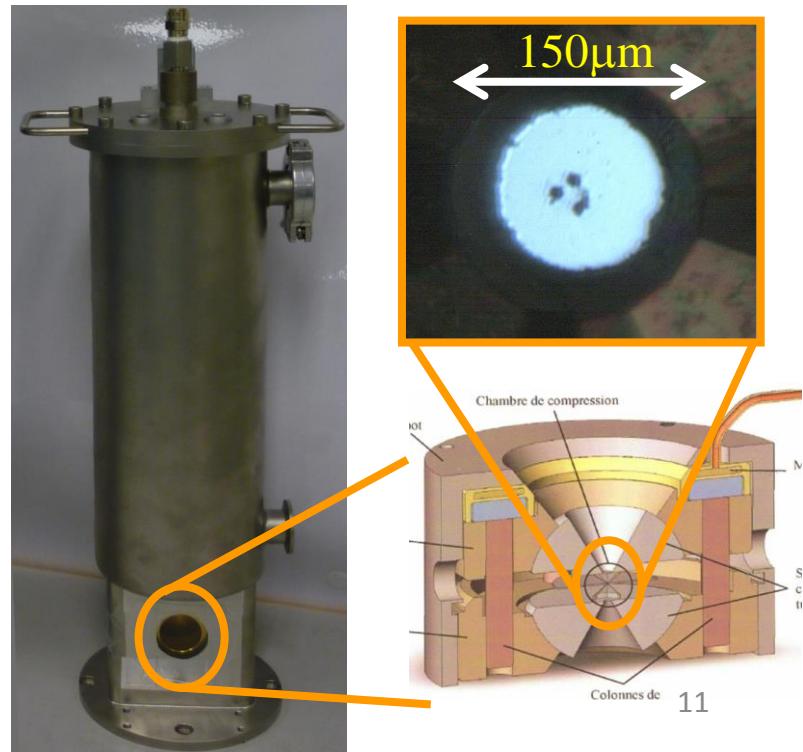
Know the crystallographic structure
Complete PT-phase diagram of FeSe

Synchrotron XRD



Technique

- ESRF (Grenoble) on ID27
- Diffraction on single crystals
- Diamond anvil cell and cryostat:
 - @ 20 and 50 K
 - From 0 to 10 GPa
 - Pressure-transmitting medium: Helium



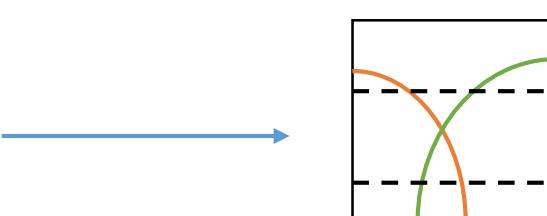
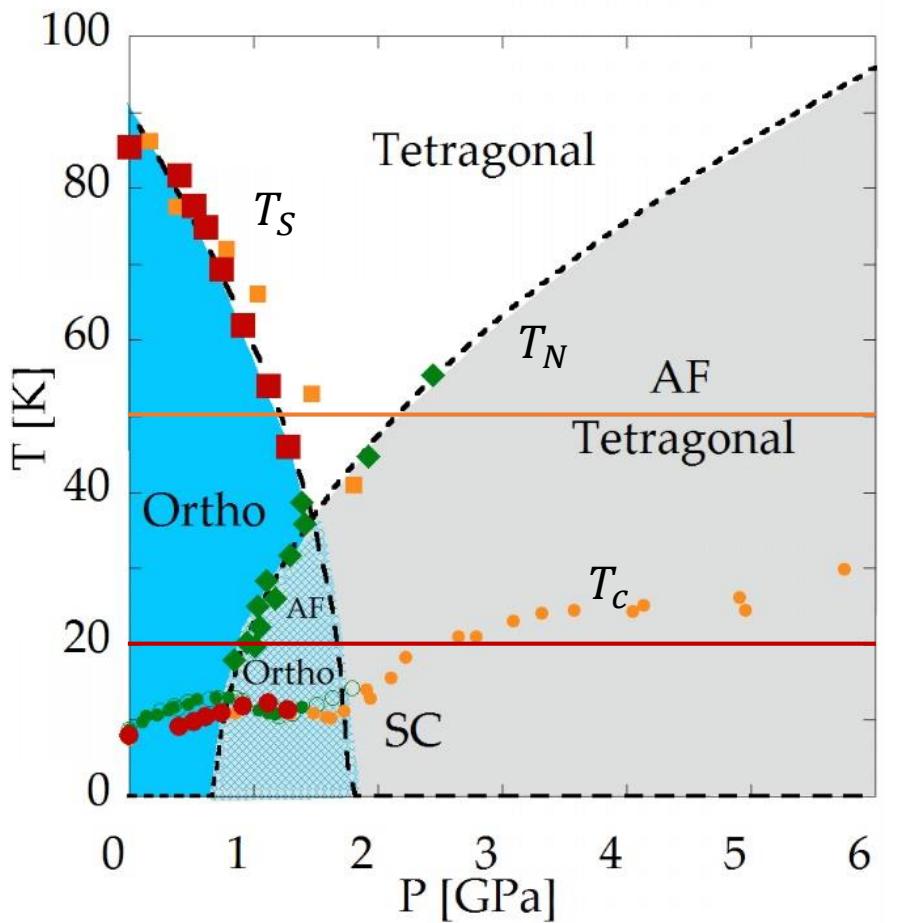
Samples

- Single-crystals of FeSe (Pierre Toulemonde, Néel Institute)
- Chemical Vapor Transport technics
- High quality crystals:
 - Quantum oscillation measurements



Protocol

Pressure dependences at 20 and 50 K

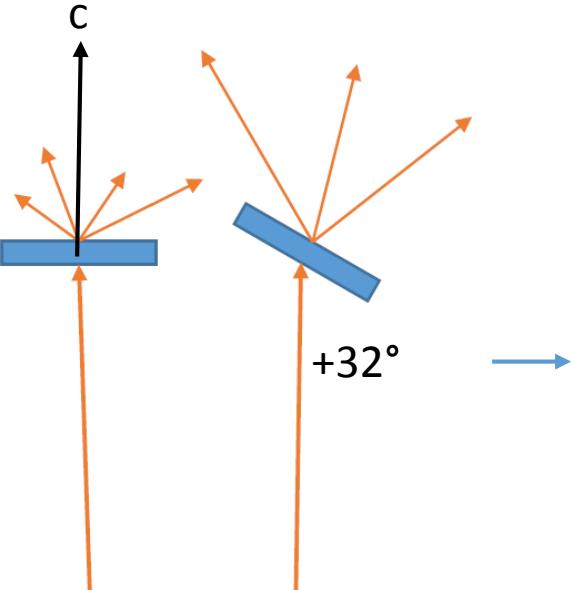
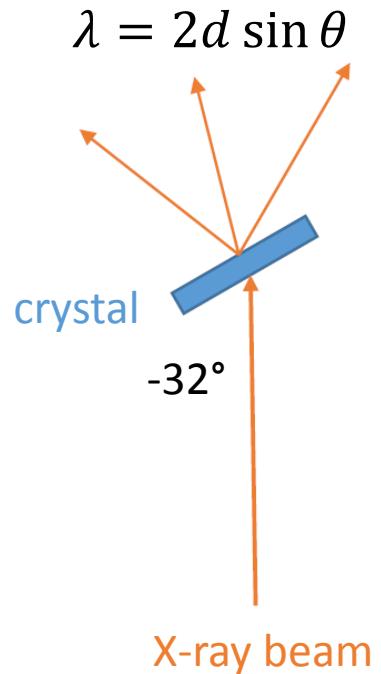


Analysis

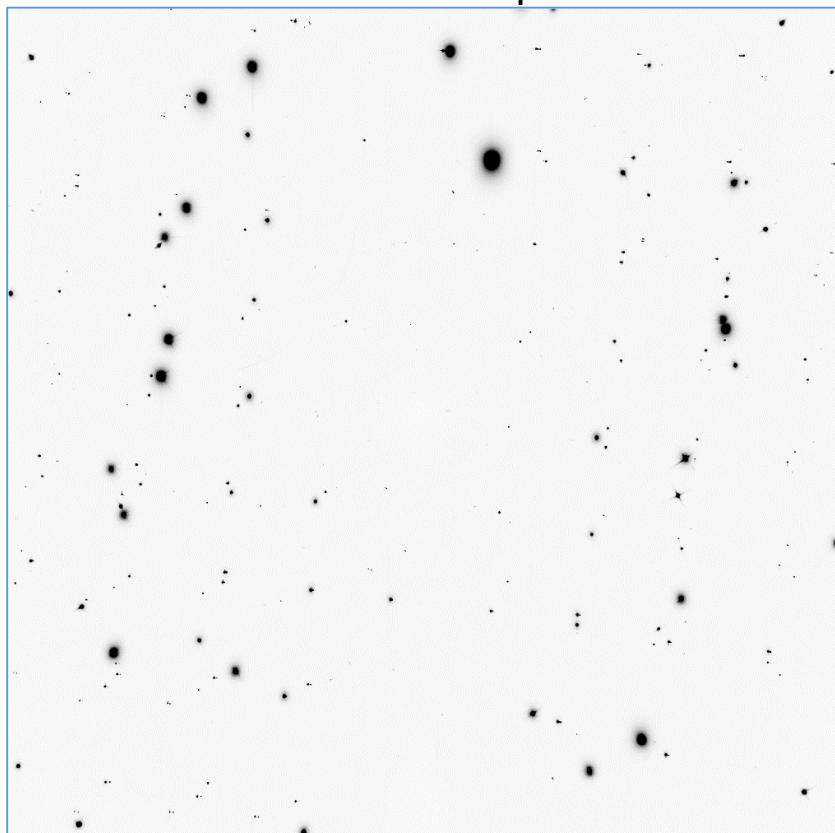
- XRD on single crystals
 - Analysis of single crystal data (Crysalis Pro)
 - Analysis of powder data:
 - Integration of single crystal data to obtain powder diagrams
 - Specific Bragg peak studies

Single-crystal analysis ($T=20\text{K}$)

From -32° to 32° ($0^\circ = \text{c-axis}$)

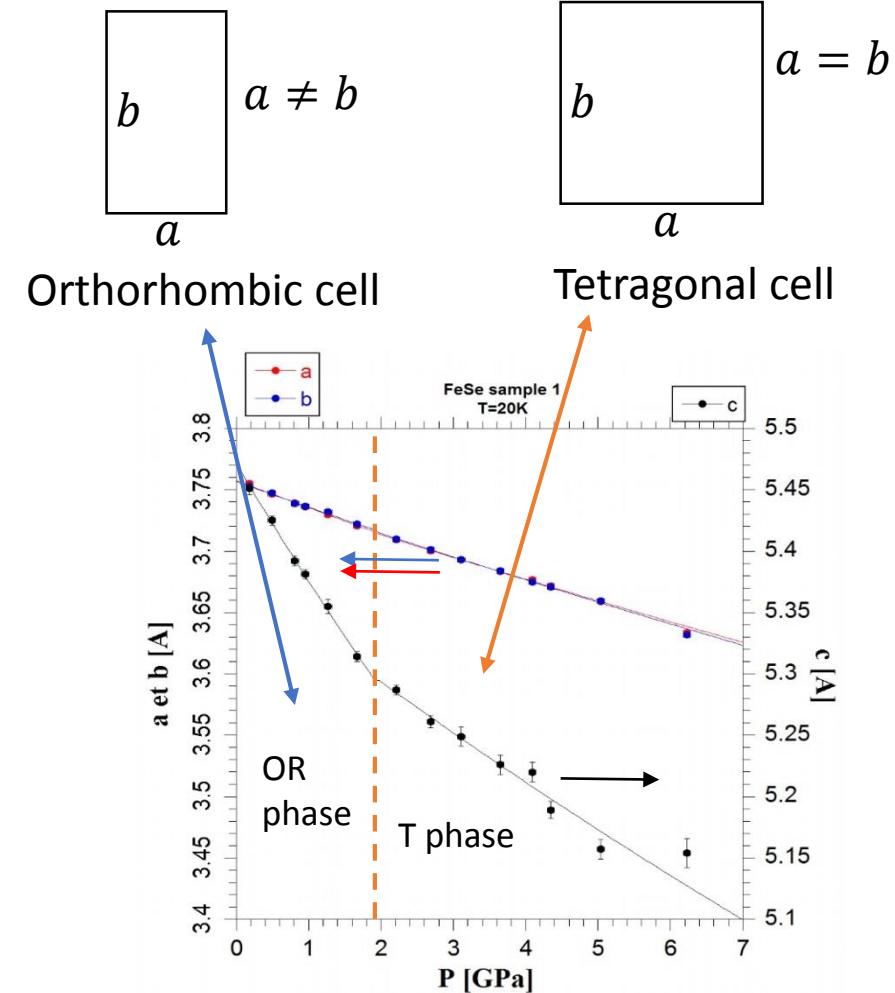
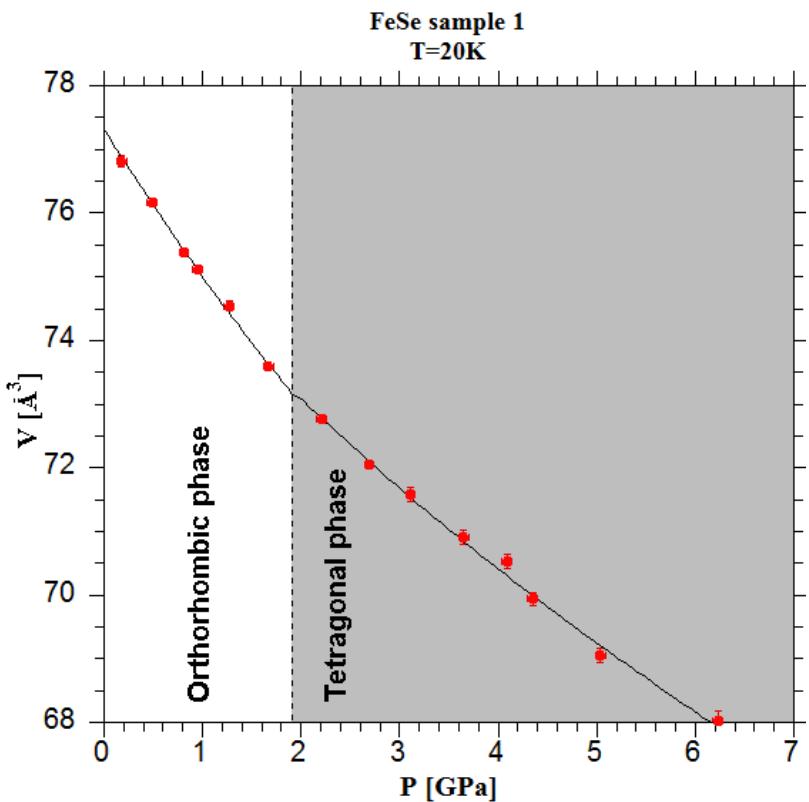


On the detector: reciprocal lattice



Single-crystal analysis ($T=20\text{K}$)

Deduction of pressure dependence of the cell parameters:



Single-crystal analysis ($T=20\text{K}$)

Deduction of the bulk modulus
(resistance to compression):

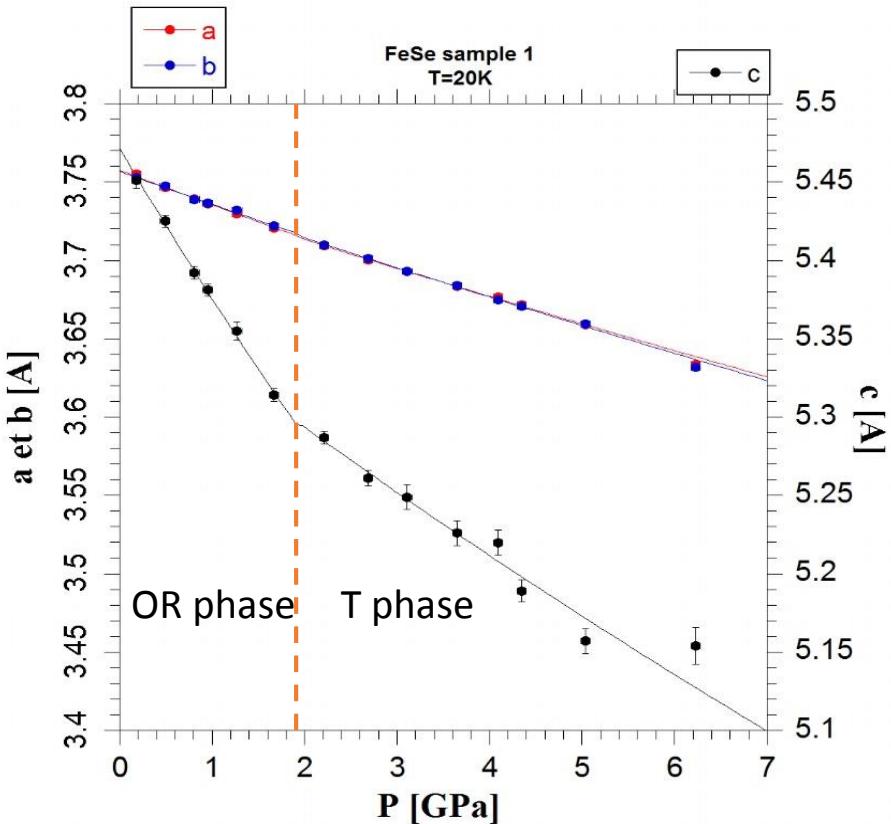


Fig. a-, b- and c-axis pressure dependence

Murnaghan state equation:

$$x(P) = x_0 \left(1 + P \left(\frac{4}{K_{0x}} \right) \right)^{-\frac{1}{4}}$$

$x = a, b, c, V$

K_0 : bulk modulus at $P = 0$

Single-crystal analysis ($T=20\text{K}$)

Deduction of the bulk modulus
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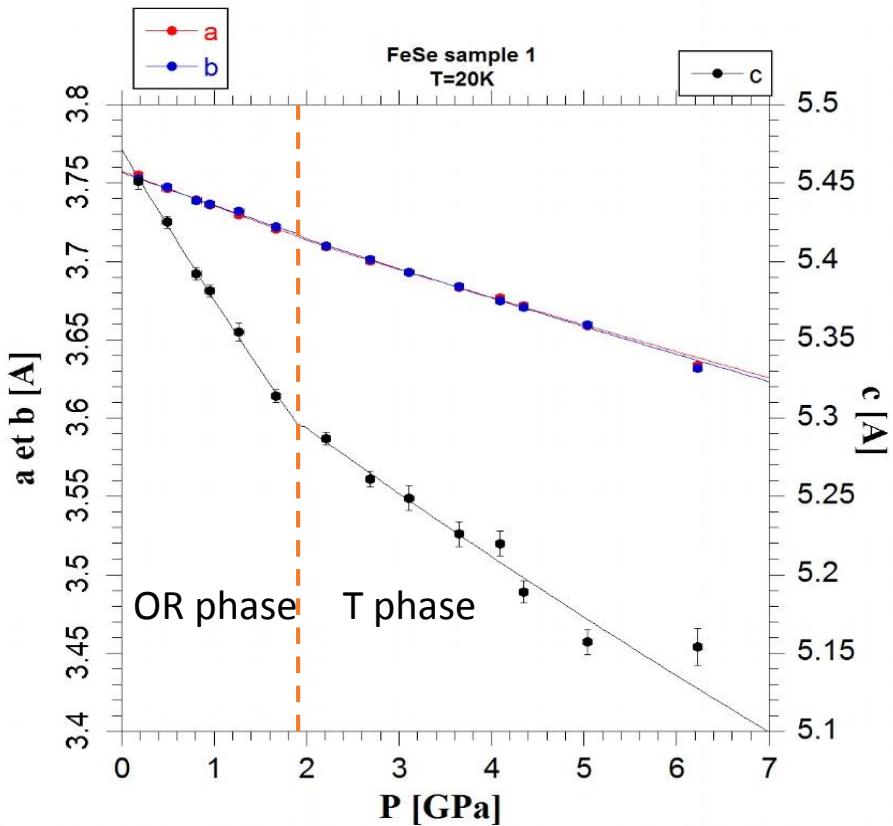


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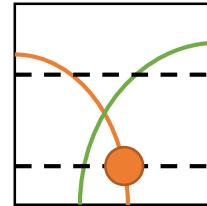
$$x = a, b, c, V$$

K_0 : bulk modulus at $P = 0$

	Orthorhombic phase	Tetragonal phase
K_{0a}	$167 \pm 4 \text{ GPa}$	$192 \pm 2 \text{ GPa}$
K_{0b}	$177 \pm 5 \text{ GPa}$	$184 \pm 2 \text{ GPa}$
K_{0c}	$54,6 \pm 2,4 \text{ GPa}$	$116 \pm 7 \text{ GPa}$
K_0	$30,8 \pm 1,9 \text{ GPa}$	$41,9 \pm 1,6 \text{ GPa}$
K_0 (Millican et al.)	31 GPa	...

Single-crystal analysis ($T=20\text{K}$)

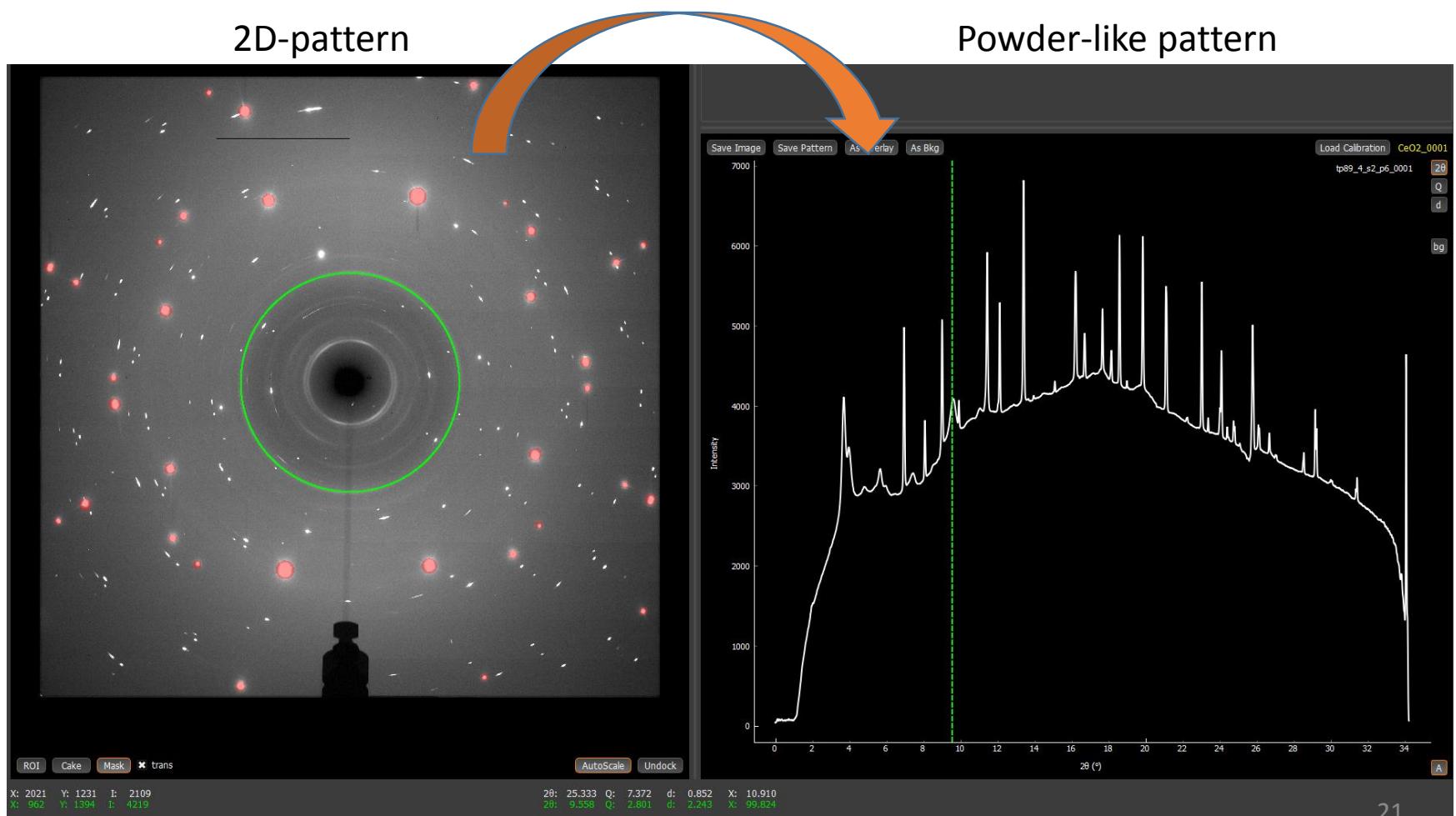
- Conclusion:
 - @ 20 K:
 - Structural transition at 1.9 GPa
 - Bulk modulus jump
 - Biggest phenomena: along the c-axis



Analysis

- XRD on single crystals
 - Analysis of single crystal data (Crysalis Pro)
 - Analysis of powder-like data:
 - Integration of single crystal data to obtain powder-like pattern
 - Specific Bragg peak studies

Powder-like analysis ($T=50\text{K}$)

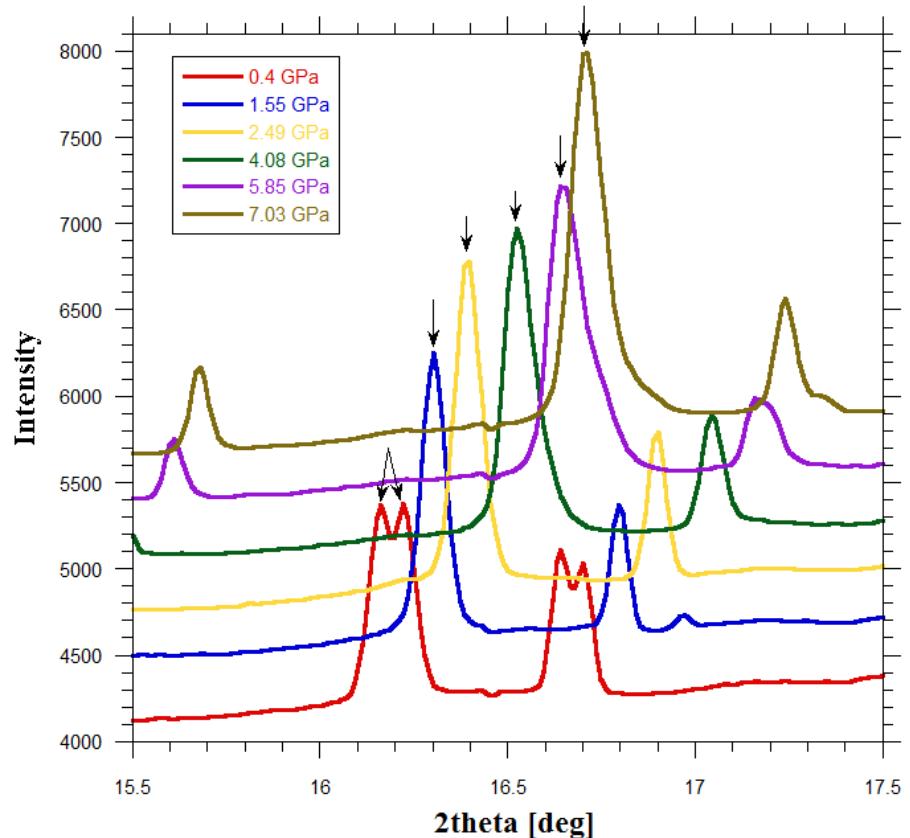


Powder-like analysis ($T=50\text{K}$)

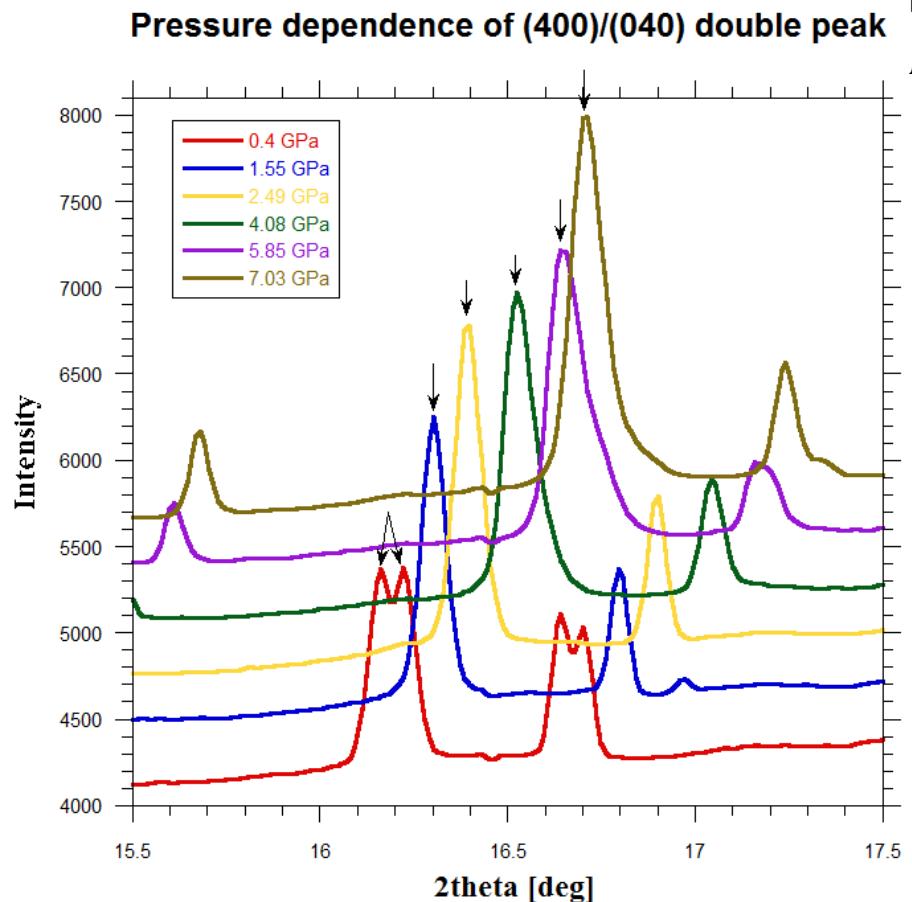
- Studying of the (400)/(040) peaks
 - Deduce cell parameters a and b

Powder-like analysis ($T=50\text{K}$)

Pressure dependence of (400)/(040) double peak



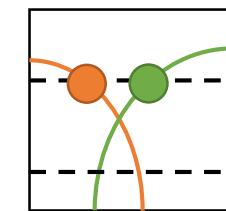
Powder-like analysis ($T=50\text{K}$)



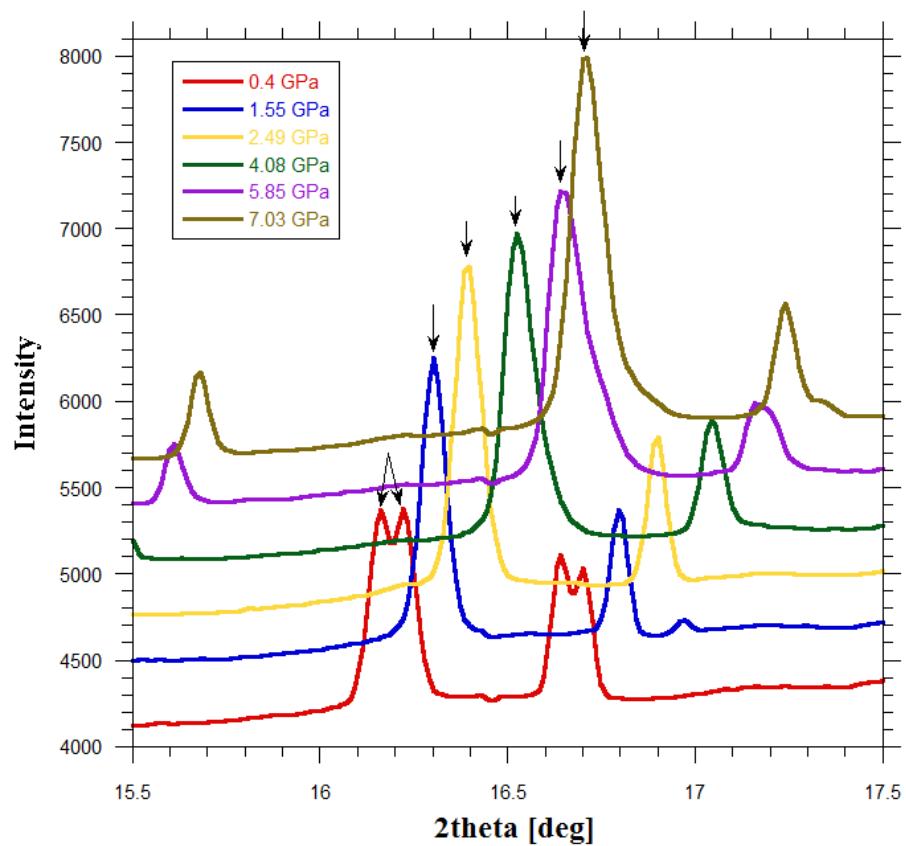
Fit peak with equation:

$$I = I_0 \left[(1 - \alpha) \exp \left(- \left(2\theta - \frac{(2\theta_0 - \epsilon)}{\sigma} \right)^2 \right) + \alpha \exp \left(- \left(2\theta - \frac{(2\theta_0 + \epsilon)}{\sigma} \right)^2 \right) \right]$$

Powder-like analysis ($T=50\text{K}$)

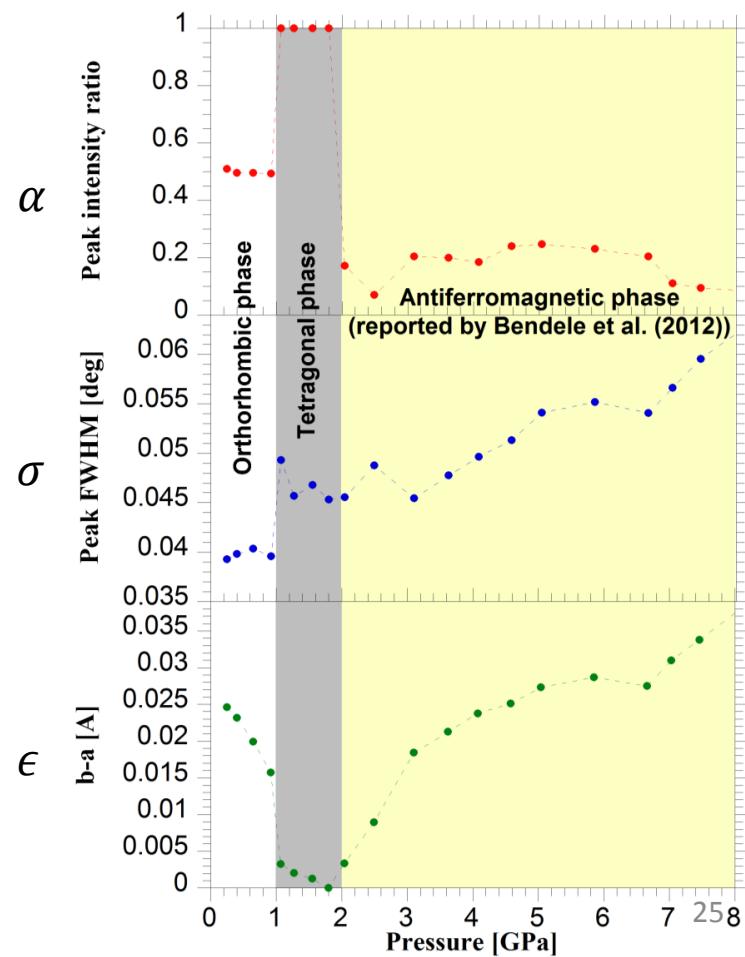


Pressure dependence of (400)/(040) double peak

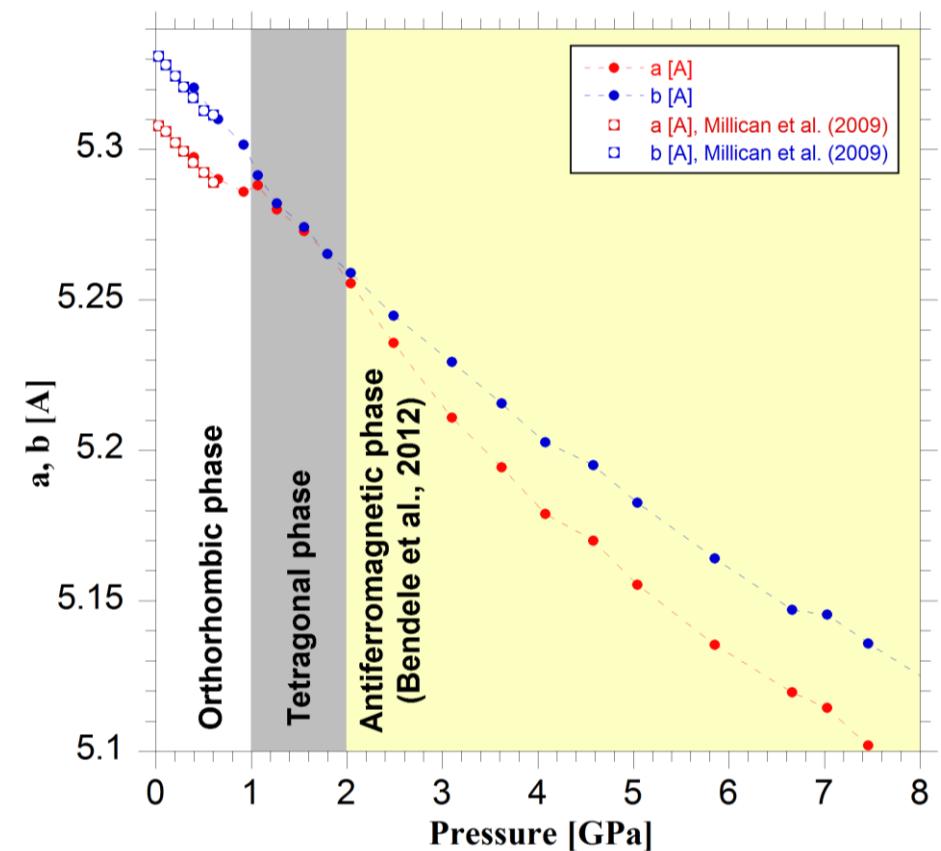
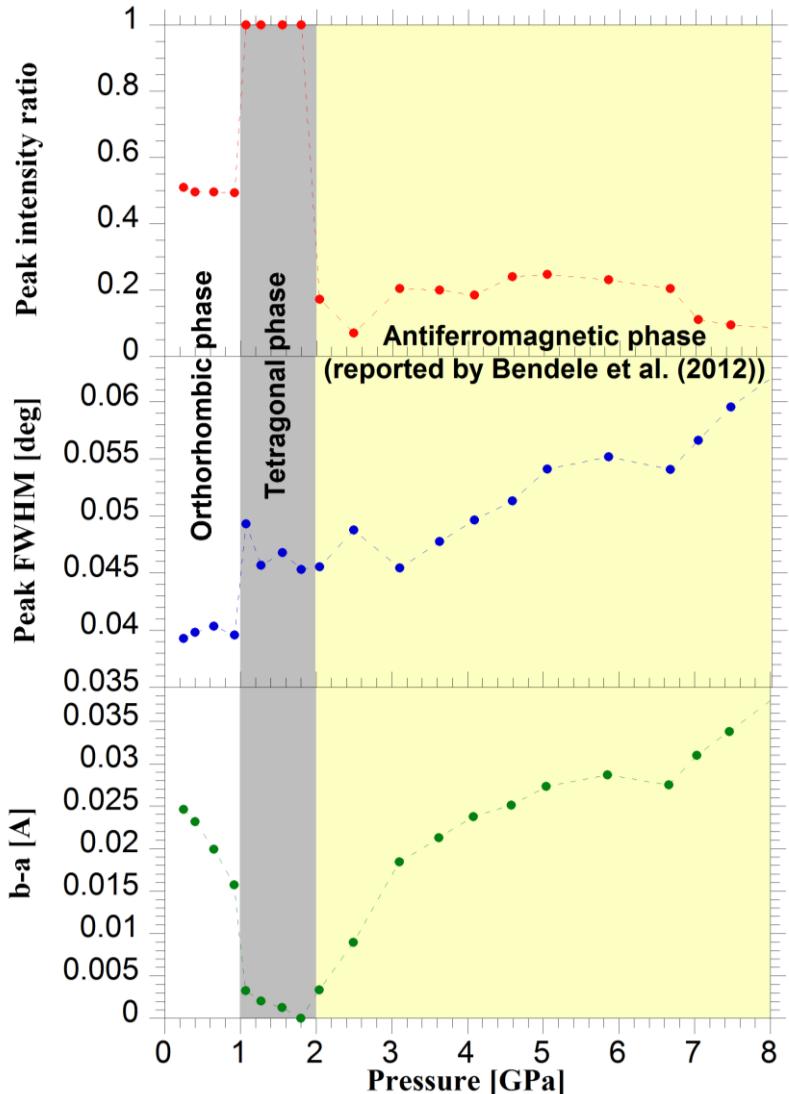


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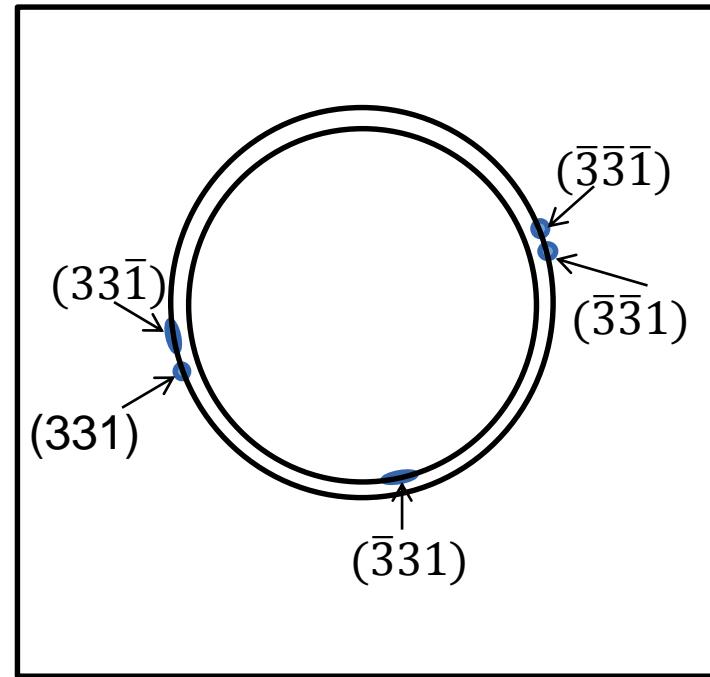
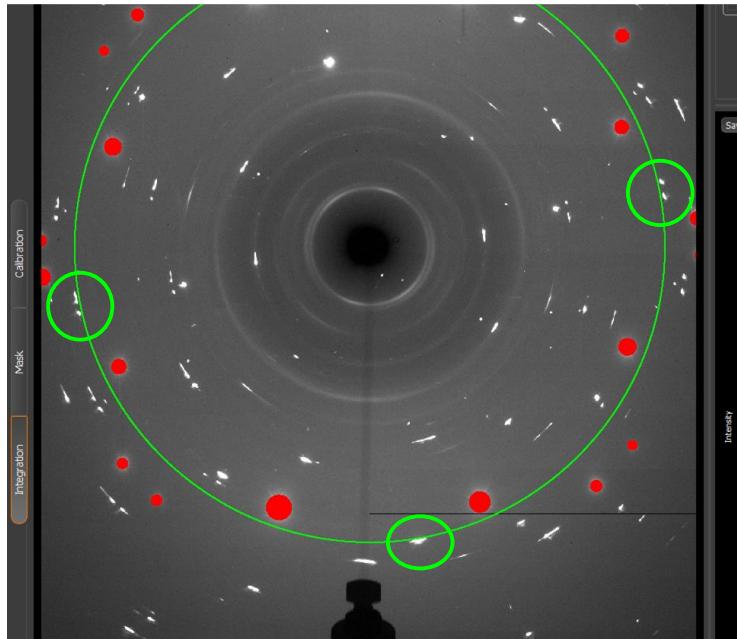
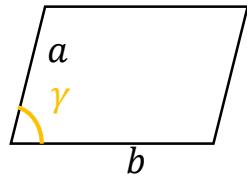
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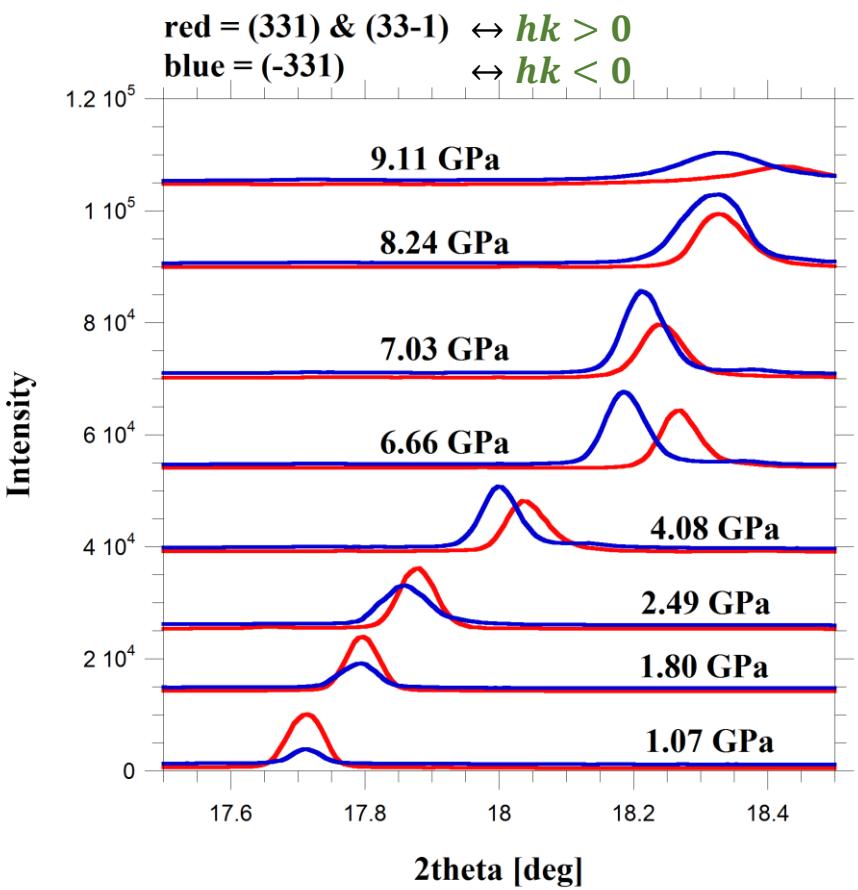
New split between a and b beyond 2 GPa!!!
New orthorhombic phase?

Powder-like analysis ($T=50\text{K}$)

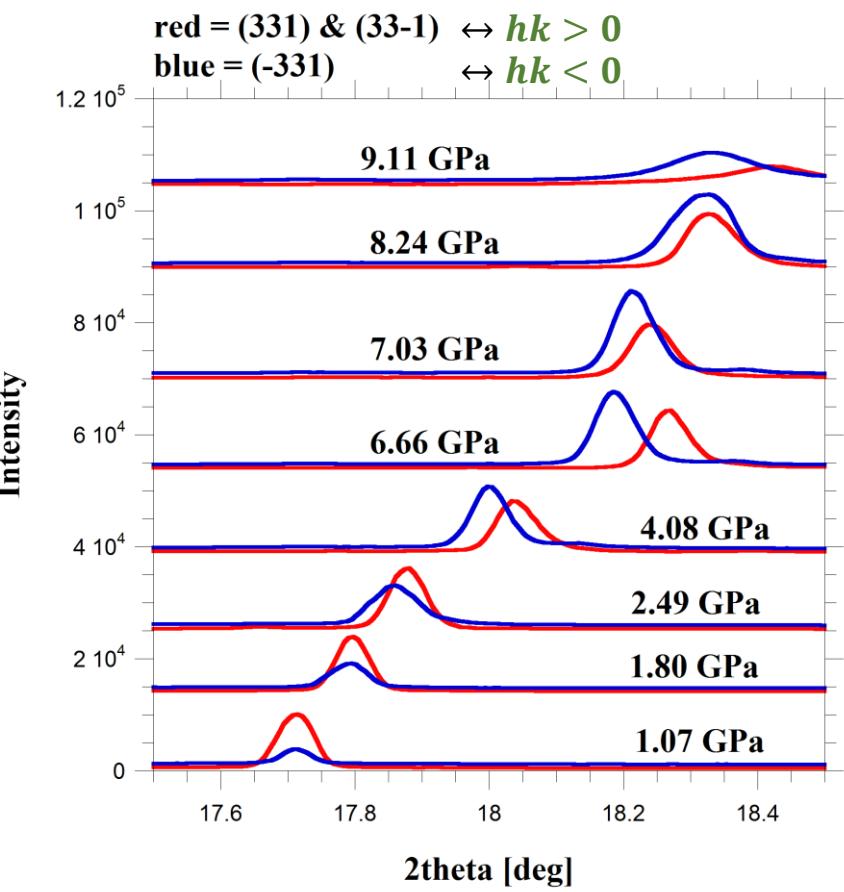
- Studying of the $(331)/(\bar{3}31)$ peaks
 - Looking at the γ angle



Powder-like analysis ($T=50\text{K}$)

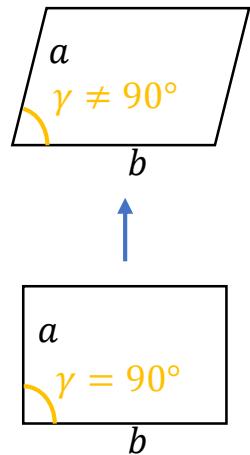


Powder-like analysis ($T=50\text{K}$)

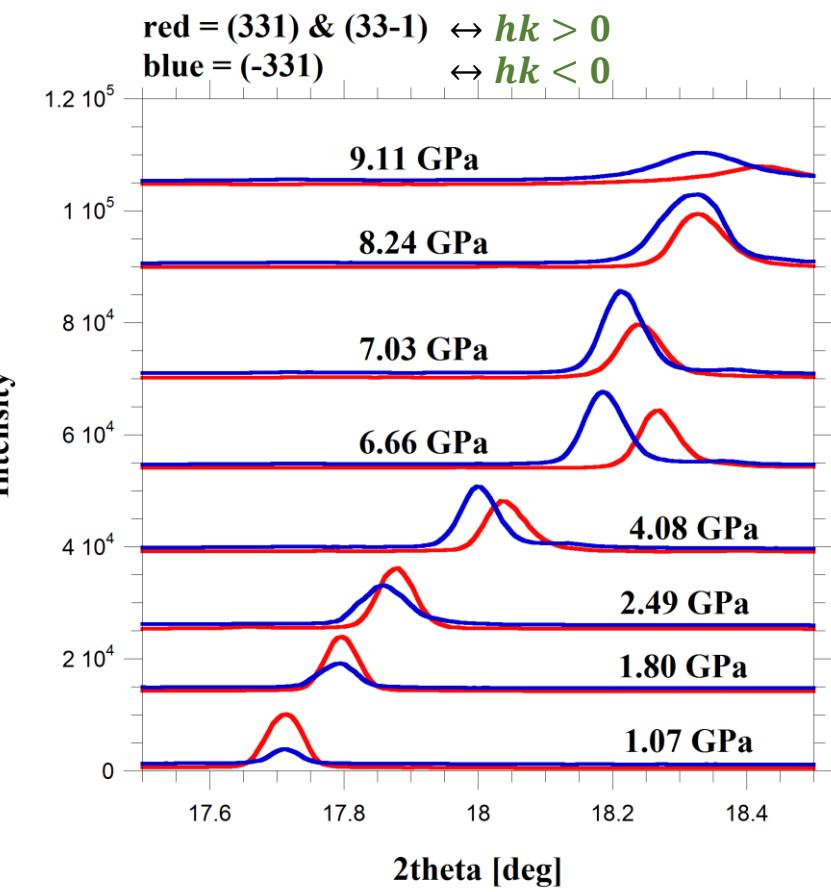
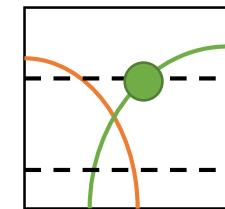


$$\lambda = 2d \sin \theta$$

$$d_{mono} = \frac{\sin^2 \gamma}{\frac{h^2}{a^2} + \frac{k^2}{b^2} + \frac{l^2}{c^2} \sin^2 \gamma - \frac{2hk}{ab} \cos \gamma}$$

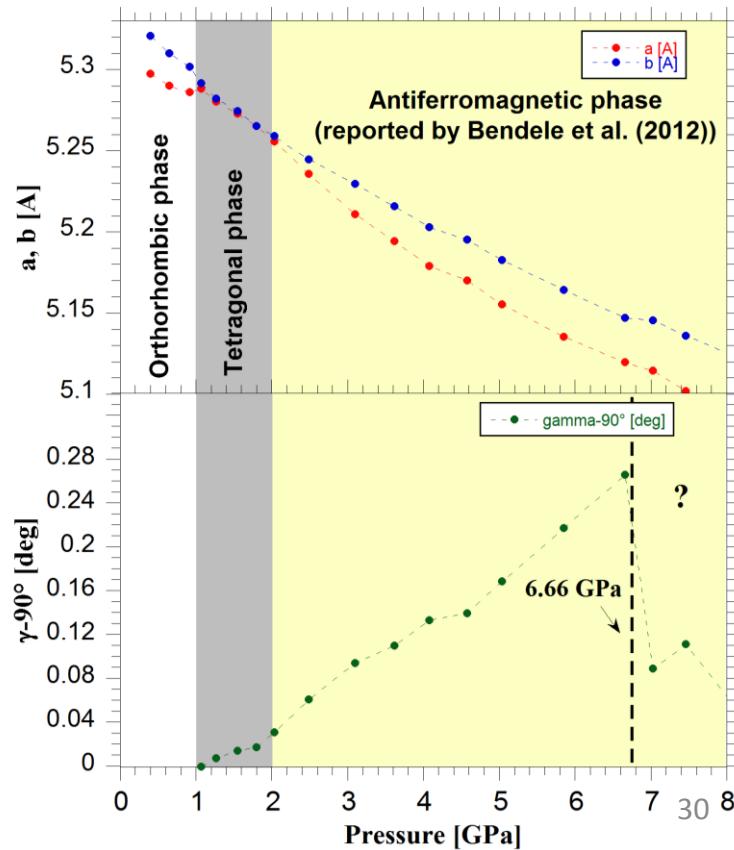


Powder-like analysis ($T=50\text{K}$)



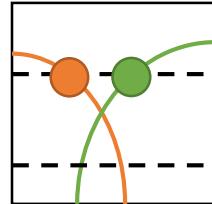
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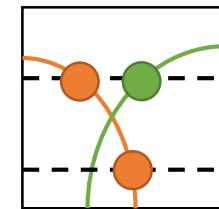
Powder-like analysis ($T=50\text{K}$)

- Conclusion:
 - @ 50 K:
 - At low pressure, orthorhombic phase
 - Between 1 and 2 GPa, tetragonal phase
 - Beyond 2 GPa (magnetic phase reported by Bendele et al. (2012)):
 - **splits between a and b**
 - Possible monoclinic cell



Conclusion

- FeSe PT-phase diagram is still controversial
- At 20 K:
 - Structural transition (OR-T) at 1.9 GPa
- At 50 K:
 - Structural transition (OR-T) at 1 GPa
 - Possible structural transition at 2 GPa
 - Split between a and b
 - γ angle not equal to 90°

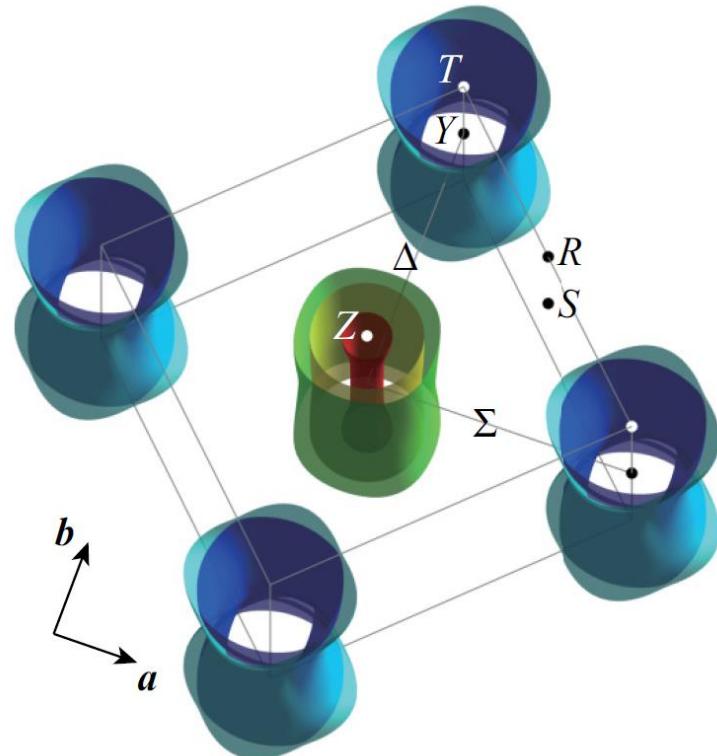


Acknowledgement

- Institut Néel:
 - Pierre Rodière
 - Pierre Toulemonde
- ESRF:
 - Volodymyr Svitlyk

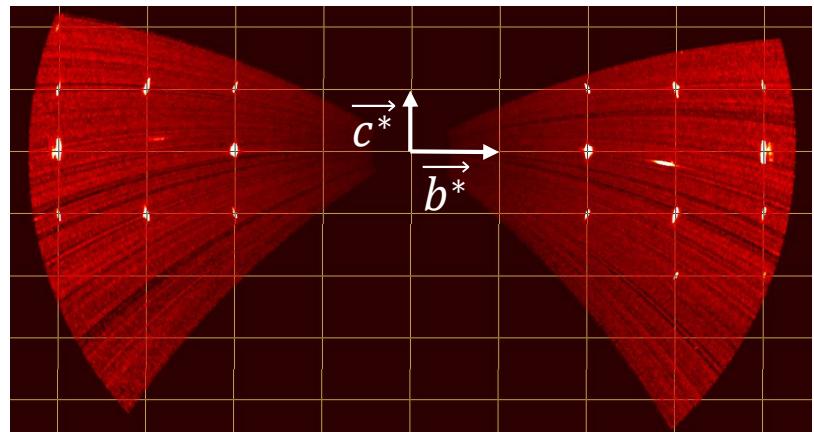
Iron-based superconductors

- Typical Fermi Surface (FS):
 - Holes near the Γ point
 - Electrons near the Y points

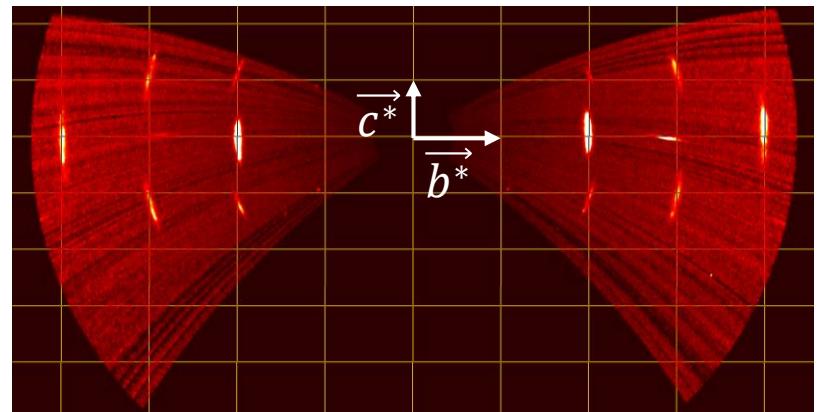


Single-crystal analysis ($T=20\text{K}$)

High crystal degradation beyond 6GPa



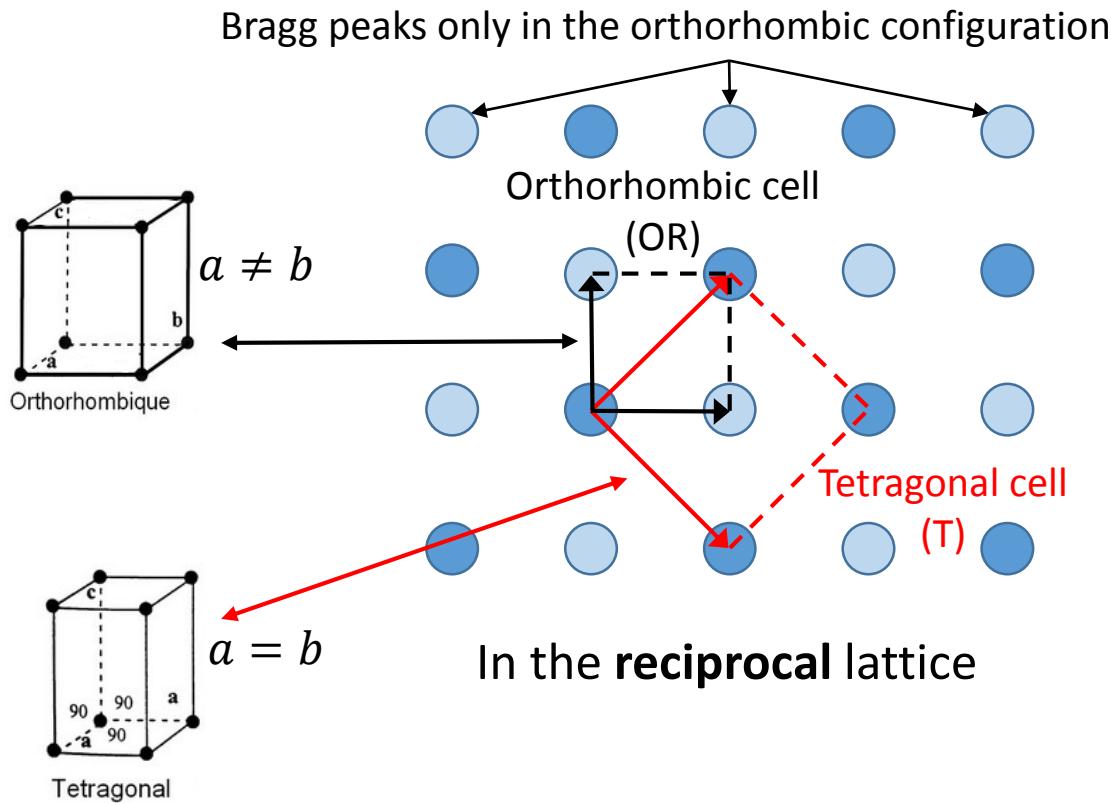
6.23GPa, 0kl plan



6.9GPa, 0kl plan

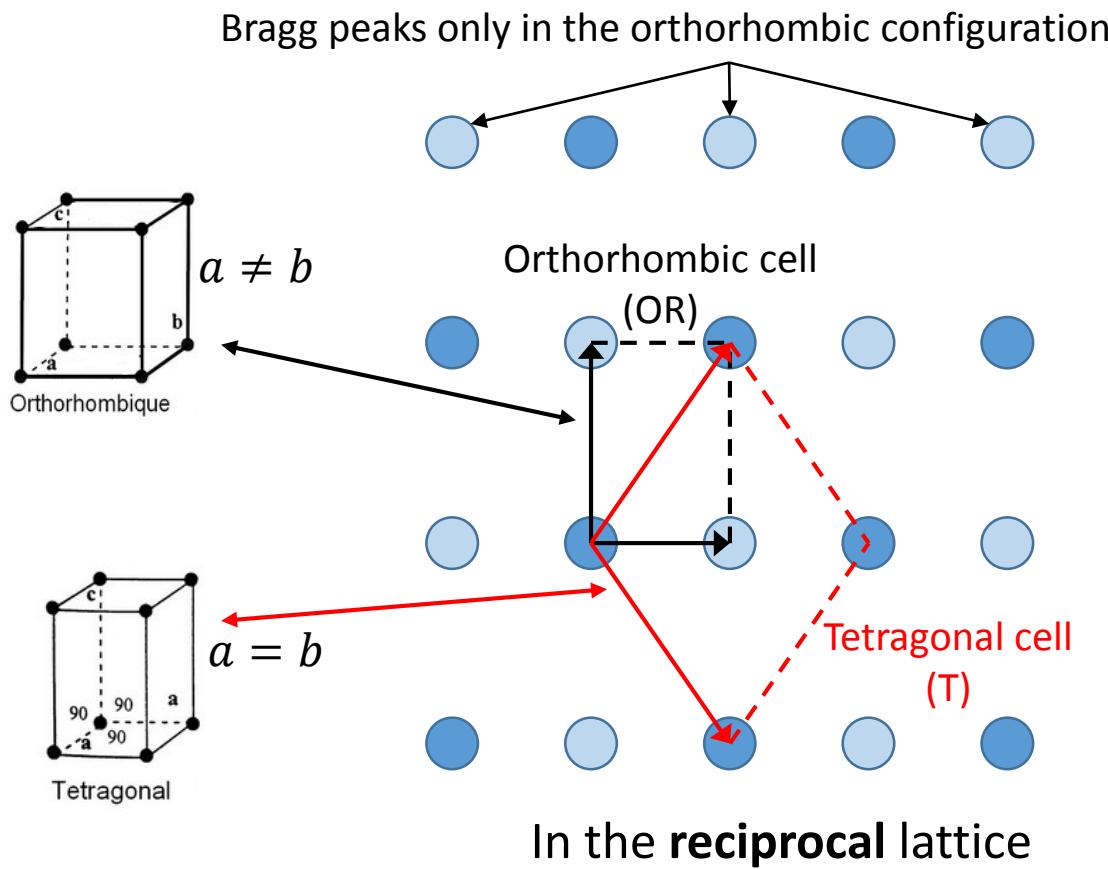
Single-crystal analysis

Two possible working cells: orthorhombic or tetragonal cell.

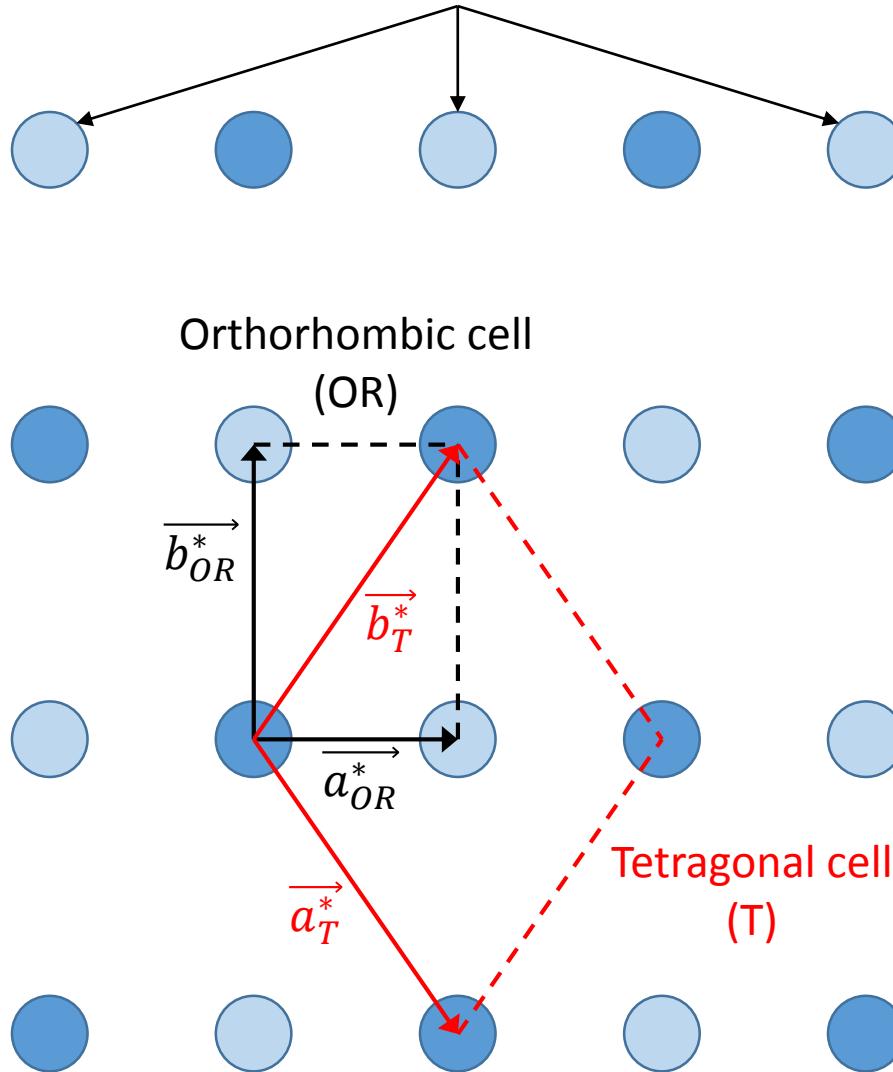


Single-crystal analysis

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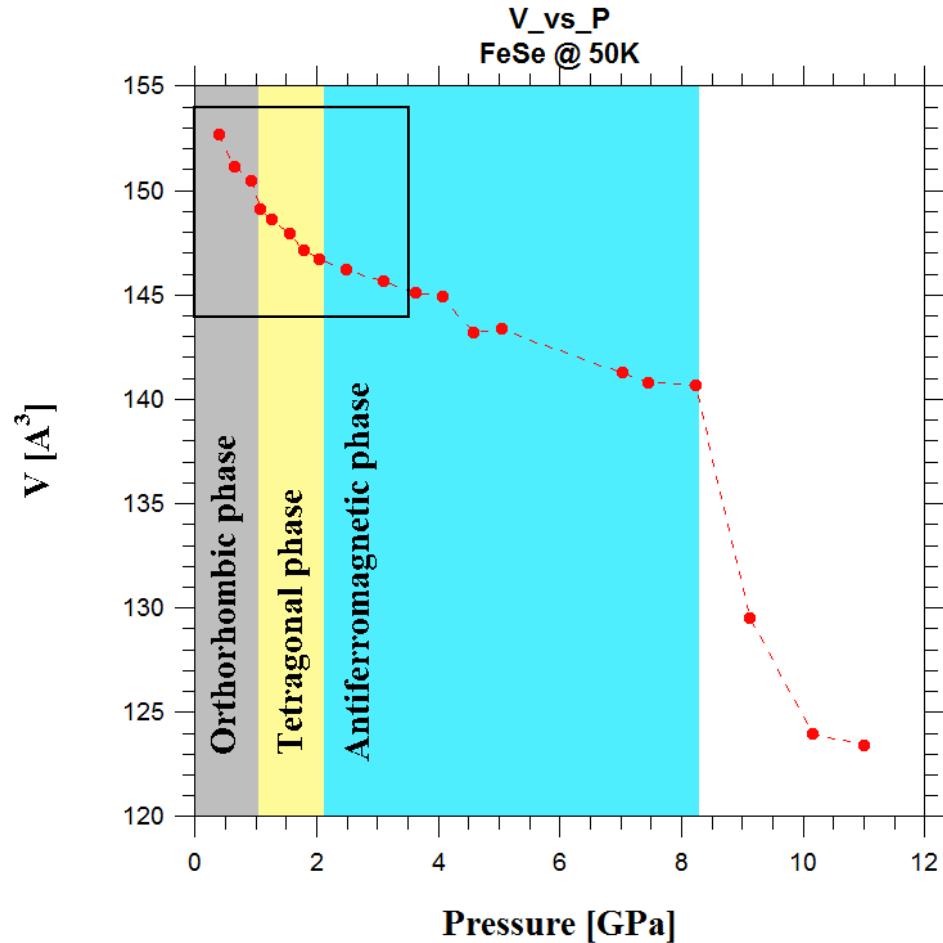
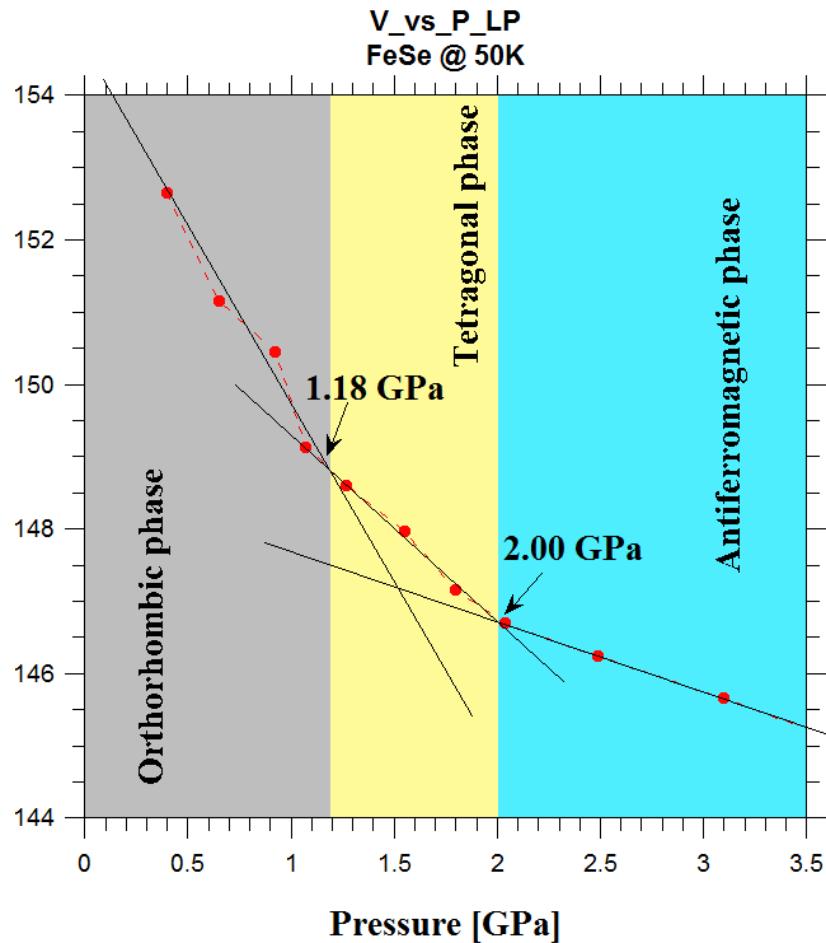


Bragg peaks only in the orthorhombic configuration



In the **reciprocal** lattice

Powder like analysis



Something happens at 2 GPa (AFM transition reported by Bendele et al., 2012)

Single-crystal analysis

At high pressure ($> 8 \text{ GPa}$), coexistence of two crystallographic phases

Volodymyr Svitlyk, ID27, ESRF, Grenoble

